$$
v = Ri \tag{1}
$$

possesses a resistance–temperature  $(R-T)$  characteristic. Three typical shapes of such a characteristic are shown in Fig. 1 over a temperature range  $0^{\circ}$  to  $100^{\circ}$ 



perature coefficient of resistance, (c) with negative temperature coef-

K). In curve (a), the resistance is almost invariant with temperature, this property being exhibited by materials like manganin or constantan. Curve (b) corresponds to a material having a positive temperature coefficient of resistance. Examples of such materials are metals like platinum, copper, nickel, and others. A characteristic as in curve (c) is indicative of a large negative temperature coefficient of resistance and is encountered with resistors made out of semiconducting materials such as  $Mn_2O_3$ ,  $Co_2O_3$ , and NiO (1-2). Thermistors belong to this class of resistors and derive their name from the phrase "thermally sensitive resistors." Their properties and applications are discussed in greater detail in the following sections.

# **TEMPERATURE-DEPENDENCE OF RESISTIVITY: METALS AND SEMICONDUCTORS (3)**

The value of the resistance *R* referred to in Eq. (1) depends on the physical dimensions of the resistor and the resistivity  $\rho$  of the material used. The change in resistance with temperature is due mainly to the change in  $\rho$  or its reciprocal, the conductivity  $\sigma$ . The nature of the change is different for metals and semiconductors. A given solid is classified as a conductor if, in its atomic model, the energy gap between the valence and the conduction bands is absent, with the two bands overlapping. For semiconductors, however, there exists an energy gap ranging from 0.1 eV to 3 eV between the two bands. The value of  $\sigma$  depends on the number of charge carriers  $n_c$  available in the conduction band and the velocity with which these carriers move under the application of an electric **THERMISTORS** THERMISTORS THERMISTORS THERMISTORS THERMISTORS THERMISTORS THE MODE TO THE MODE THE MODE THE MODE THE MODE THE MODE THE LATTER SERVICE THE LATTER SERVICE THE LATTER SERVICE THE LATTER SERVICE THE LATTER SER In the conventional Ohm's law equation charge carriers. In the case of metals, *n<sub>c</sub>* does not vary appre-<br>ciably with temperature. The contribution to the change in  $\nu = Ri$  (1) resistivity comes from a change in  $\mu$ . As temperature is increased, the enhanced thermal agitation of the atoms in the it is well known that the resistance value *R* corresponds to a crystal lattice decreases the mean free path of a charge car-<br>specific temperature. Every two-terminal resistor invariably rier between two successive collisi rier between two-successive collisions. This causes a decrease in  $\mu$  and a consequent increase in the resistivity  $\rho$ . For semiconductors, on the other hand, an increase in temperature causes a large number of charge carriers to move into the conduction band. The resultant increase in  $n<sub>c</sub>$  more than offsets the effect of the decrease in  $\mu$ . Semiconductors thus exhibit a negative temperature coefficient of resistance, whose magnitude is several orders higher than that observed in the case of metals. The temperature coefficient of resistance of a semiconductor would lie between  $-1$  and  $-5\%$  per K, compared with a value of around  $+0.4\%$  per K for copper and platinum.

# **CONSTRUCTION OF THERMISTORS**

It is only through special processing that germanium or silicon can be had in pure form. Such intrinsic semiconductors, no doubt, possess a large temperature coefficient of resistance. Their conductivity at ordinary temperatures is, however, too low for practical resistors to be made out of them. Commercial thermistors are therefore basically compound **Figure 1.** Typical shapes of  $R-T$  characteristics of resistors: (a) with semiconductors, which are made of oxides of cobalt, copper, negligible temperature coefficient of resistance (b) with positive temperature manganese negligible temperature coefficient of resistance, (b) with positive tem- manganese, nickel, tin, titanium, and others. While the *R–T* perature coefficient of resistance, (c) with negative temperature coef- variation of a ficient of resistance. intrinsic germanium or silicon, the increase in number of

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**Figure 2.** Various types of thermistors.

charge carriers is traceable in this case to a different phenom-

disk, rod, bead, and washer (1,4). A few sample shapes are perature (ideally infinity), when all the valence electrons will<br>illustrated in the sketches of Fig. 2. The various stages in-<br>have moved into the conduction band. illustrated in the sketches of Fig. 2. The various stages in-<br>valued in the conduction band in the conduction band in the form  $\frac{1}{2}$  can be conducted in the form volved in the manufacture of thermistors are:

- Mixing of the various ingredients (metallic oxides) and
- 
- 
- oxy, or a ceramic sheath.

The nominal resistance of the thermistor, its temperature sensitivity and other relevant properties depend on the pro- *A* being equal to  $R_{\infty}$ .<br>portions of the constituents, the size, and the sintering tem- In Eq. (5), let us

# **A QUANTITATIVE RESISTANCE–TEMPERATURE RELATIONSHIP WITH SIMPLIFIED THEORY (1,5)** *<sup>R</sup>*

The charge carriers contributing to current in a semiconduc-<br>tor include both electrons and holes. The conductivity due to This leads to a commonly used  $R-T$  relationship, namely, each type of charge carrier is proportional to the product of *its concentration* (number of charge-carriers per unit volume) and mobility. The charge-carrier concentration at any temper-<br>ature is governed by the Fermi–Dirac distribution theory. Ap-<br>plication of this theory to electrons would vield the following ature of 298 K (25°C).  $R_0$  and plication of this theory to electrons would yield the following ature of 298 K (25<sup>°</sup>C expression, known as the Boltzmann equation, for the elec- given in Table 1 (6,7). tron-concentration  $n_e$ :

$$
n_e = N e^{-E_g/2kT}
$$

where *N* is the concentration in valence band,  $E_{\rm g}$  is the energy **General** gap between the conduction and valence band, *k* is the Boltz- The features of a thermistor that favor its use as a temperamann constant and  $T$  is the absolute temperature. A similar ture sensing element are:

### **Table 1. Typical Parameters for a Few Commercial Thermistors**



expression is valid for holes too. As mentioned in the previous section, the variation of  $\mu$  with  $T$  can be ignored in semiconductors. The conductivity is thus directly proportional to the charge concentration and hence bears an exponential relation to temperature similar to Eq. (2). With such a relation inserted into the expression for the resistance *R* of the device,

$$
R = \frac{\ell}{a\sigma} = \frac{\ell}{a\sigma_{\infty}} \cdot e^{E_{g}/2kT}
$$
 (3)

enon involving oxygen atoms (1). In Eq. (3),  $\ell$  and  $\alpha$  are respectively the usual length and area<br>Thermistors are manufactured in different shapes such as of cross-section and  $\sigma_x$  is the conductivity at a very high Thermistors are manufactured in different shapes such as of cross-section and  $\sigma_{\infty}$  is the conductivity at a very high tem-<br>k, rod, bead, and washer (1.4). A few sample shapes are perature (ideally infinity), when all

$$
R = R_{\infty} e^{B/T} \tag{4}
$$

grinding of the mixture to obtain a fine homogeneous<br>
where  $R_z$  and B are constants associated with the thermistor<br>
• Binding of the powder by using a suitable organic chemi-<br>
• Glass dimensions of temperature. With  $E_s$ 

$$
R = A e^{B/T} \tag{5}
$$

In Eq. (5), let us consider two temperatures  $T_0$  and *T*. If perature. the thermistor resistances at these two temperatures are  $R_0$ and *R*, we would get

$$
\frac{R}{R_0} = \frac{A e^{B/T}}{A e^{B/T_0}} = e^{(B/T - B/T_0)}
$$

$$
R = R_0 e^{B(1/T - 1/T_0)}
$$
 (6)

## **APPLICATIONS OF THERMISTORS**

- high sensitivity
- availability in small sizes (beads as small as 0.7 mm in diameter), which facilitates measurement at a point and with fast response.
- wide range of resistance values
- possibility of covering a large temperature range from 120 K to 470 K and higher.

Because of these advantages, thermistors are extensively used for a variety of applications involving nonelectrical and electrical variables. The most common applications are in the measurement and control of temperature in process indus-<br>trice in process indus-<br>trice Thermistor in feedback path controls the temperature of<br>trice Thermal conductivity fluid flow and gas composition tries. Thermal conductivity, fluid flow, and gas composition are some of the other nonelectrical quantities for the measurement of which thermistors can be employed (1,6,8,9). One of the earliest known uses of the thermistor has been in the constant current  $I<sub>S</sub>$  is passed through the thermistor across measurement of power in RF (radio frequency) and micro- which a temperature-dependent voltage measurement of power in RF (radio frequency) and microundesirable effect. Millivoltmeters, biasing circuits of bipolar ature. transistors, and log-antilog amplifiers (11) are typical exam- It is also possible to configure the thermistor in a circuit ples where this property is used. Thermistors also serve as so that a temperature-dependent frequency or time-interval vital components in feedback systems used for the automatic is obtained as an output. An output of this type is preferred, control of amplifier gain and stabilization of output amplitude when temperature indication in digital form is desired or in electronic circuits. when the information is to be transmitted over long distances.

A thermistor is essentially a passive transducer and hence requires energization by an external power source for deriv- **Control of Temperature** ing a temperature-dependent electrical output. The various techniques employed for this purpose are illustrated in simple It may often happen that the control of temperature in a proforms in Fig. 3(a) to (d). In Fig. 3(a), the thermistor is excited cess is also desired in addition to its measurement. In this by a constant voltage  $V_s$  and the resulting current indicated case, a temperature-dependent



Figure 3. Thermistor converts temperature into an electrical output. probe burn-out.



wave circuits and devices (10). A problem frequently faced in thermistor is used as one of the arms of a Wheatstone bridge the design of high-performance electronic circuits is the sensi- in the circuit of Fig. 3(c). The bridge is initially in a balanced tivity of their response to ambient temperature variations. condition at a temperature, say,  $T_0$ . A change in temperature The thermistor with its high negative temperature coefficient from this value causes an unbalanced voltage or current that comes in handy to minimize or nullify the above-mentioned can be detected by D and related to the change in temper-

An arrangement for realizing this is shown in the block-sche-**Methods of Deriving a Temperature-Dependent Output (5,12)** matic of Fig. 3(d), where the thermistor  $(R_T)$  is used as a tim-<br>ing component of an oscillator or multivibrator.

case, a temperature-dependent signal is obtained using any by the ammeter is a function of temperature. In Fig. 3(b), a one of the basic schemes described above. This signal, say  $x_T$ , is compared with a "set-point"  $(x<sub>S</sub>)$  and the resulting error signal is used to control the heating or cooling of the process. The block diagram of Fig. 4 serves to explain the principle.

# **Measurement of Fluid Flow (1,8)**

The use of the thermistor here is similar to that of the hotwire anemometer with the thermistor taking the place of the Wollaston wire. The thermistor probe, energized electrically to attain a sufficiently high temperature, is placed in the fluid. Fluid flow causes a decrease in temperature of the probe, because of the heat transfer from the probe to the surrounding fluid. This decrease in temperature is accompanied by an increase in resistance of the thermistor. Additional heat input into the thermistor is needed to bring its resistance and temperature to the earlier value. To this end, the current through the thermistor is increased to a new level, which is then a measure of the fluid velocity. This mode of operation is called constant temperature or constant resistance mode. A bridge-configuration similar to Fig. 3(c) with the thermistor forming one of the arms is often preferred. The advantage of using a thermistor in place of a hot-wire lies in overall compactness, higher temperature sensitivity, and less risk of



medium which affects the heat transfer. In this manner, we can build thermistor-based instruments to measure variables such as thermal conductivity, gas composition, pressure of gas, and so on.

being known as the bolometer element. As is the case with most other applications, the thermistor is used as one arm of a simple bridge configuration shown in Fig. 5.

The thermistor suitably mounted in an RF/microwave system absorbs the high frequency power under measurement and is consequently heated. Simultaneously, it is energized The output voltage of the complete logarithmic amplifier cirby two other sources—a dc and a low-frequency ac [usually cuit becomes AF (audiofrequency)]. The dc current is adjustable and serves to set the thermistor resistance to a value that would be required for impedance matching on the RF side. The bridge is initially balanced with the thermistor receiving power from all the three sources, the AF power being minimal. The RF/ microwave power is then turned off and without disturbing the dc, the AF power is increased to restore the bridge bal- A suitable thermistor can be chosen for  $R_T$  so that changes in ance. Since the bridge is once again in balance, the thermistor the values of  $R_T$  and  $V_T$  due ance. Since the bridge is once again in balance, the thermistor resistance and hence the total input power to the bolometer ture will have equal and opposite effects on the output voltelement is the same under both conditions. The increase in age  $v_{\alpha}$ . AF power should therefore be equal to the unknown RF power. The accuracy of measurement will be enhanced if the<br>initial AF voltage fed to the bolometer is as near zero as possi-<br>ble. A recent method employing two self-balancing thermistor We often use a thermistor as a nonli ble. A recent method employing two self-balancing thermistor

# **Compensation and Stabilization**

We are aware that the thermistor basically possesses a negative temperature coefficient of resistance. It can therefore be used to counteract the effect of the positive temperature coefficient of some other element on the response of a device or a circuit, when ambient temperature changes. Take for example a moving coil millivoltmeter, where the coil is of copper having a temperature coefficient of about  $+0.4\%$ . By choosing a thermistor or a thermistor-resistor combination for the Figure 5. Thermistor helps RF power measurement through AF. series multiplier, it is possible to make the millivoltmeter

Another application of a thermistor as a compensating ele-If, instead of a moving fluid, we have a static medium sur-<br>rent is in logarithmic amplifiers (11). In this circuit (Fig. 6),<br>rounding the thermistor, an arrangement similar to that al-<br>ready described can be used to meas

$$
v_1 = -V_{\rm T} \ln \frac{v_i}{I_o R_1} \tag{7}
$$

where  $I_0$  is the reverse saturation current of  $D_1$  and  $V_T =$ **Measurement of Power in Radio Frequency Circuits** *kT/q* is the voltage equivalent of thermal energy.  $I_0$  and  $V_T$  in The earliest known application of a thermistor is in the mea-<br>surement of RF and microwave power. The power-measuring<br>instrument being with the current<br>instrument here is called *bolometer* (10), with the thermistor<br>being

$$
\nu_2=-V_{\rm T}\,\ln\frac{\nu_{\rm i}}{I_{\rm S}R_1}
$$

$$
\begin{aligned} v_{\text{o}} &= (1 + R_{\text{T}} / R_2) \cdot v_2 \\ &= -(1 + R_{\text{T}} / R_2) \cdot V_{\text{T}} \ln \frac{v_{\text{i}}}{I_{\text{S}} R_1} \end{aligned} \tag{8}
$$

bridges for RF power measurement is given in section 1.4.6 of in amplifiers and oscillators to achieve an output of constant Ref. 13. **Amplitude.** Let us consider the Wien-bridge oscillator of Fig.



**Figure 6.** Thermistor  $R_T$  helps to reduce the temperature dependence of *vo*.

7, built using an op-amp. Here negative feedback is provided by the  $R_3-R_4$  potential divider connected across the output.  $R_4$  is usually a thermistor. When there is a tendency for the amplitude of the output voltage  $v_0$  to increase, the current through the thermistor increases. This, in turn, causes a decrease in  $R_4$  due to additional self-heating. The voltage across *R*<sup>3</sup> increases, resulting in more negative feedback, which tends to reduce the output and therefore maintain it at a constant value. We can also view the action of the thermistor here as an automatic control mechanism that alters the gain of an amplifier to achieve output amplitude stability. In principle, we can, with an appropriate arrangement, exploit the negative slope of the thermistor *R*–*T* characteristic to stabilize other electrical quantities as well.

Whereas high sensitivity and fast response are the major plus points for a thermistor, the nonlinearity of its  $R-T$  character-<br>istic stands as a stumbling block for its use in several applica-<br>**A Technique for Linear** *T***-to-***f* **Conversion** tions in which we need an output varying linearly with tem-<br>peratures that closely obey the two-constant law  $R =$ <br>perature. The technique of achieving this is broadly known as  $A e^{B/T}$  over a specific temperature range, i

obtain a terminal resistance that varies more linearly with<br>time-time cuit. Let at  $t = 0$ , the output of the monostable multivibrator<br>temperature (14). Consider, for example, a typical circuit as<br>in Fig. 8, where  $R_T$  is figure clearly show the effect of adding  $R_p$  to get an  $R-T$  characteristic with improved linearity over a temperature range of  $30^{\circ}$ – $50^{\circ}$ 107  $\Omega/K$  to nearly at 19.7  $\Omega/K$ , at 40°C). If we pass a constant current through the  $R_p-R_T$  combination, the resulting voltage would vary linearly with temperature. The temperature range over which this technique is applicable is quite narrow.



**Figure 7.** Thermistor  $(R_4)$  stabilizes oscillation amplitude. behavior from the assumed law.



**Figure 8.** *R–T* characteristic (a) before (b) after the connection of a **LINEARIZATION OF THERMISTOR RESPONSE (14–19)**  $2 \text{ k}\Omega$  resistor in parallel with Omega 44034 thermistor.

 $A e^{B/T}$  over a specific temperature range, it is possible to ob-''linearization.'' tain, using electronic circuits, an output in the form of a frequency which is proportional to temperature.

**Refer to the schematic diagram of the** *T***-to-***f* **converter <b>Shaping of** *R***–***T* **Characteristic**<br> **Shown** in Fig. 9. This circuit functions essentially as a relax-The simplest method for achieving linearization is to use a<br>linear (15). A reference voltage  $V_r$  energizes the net-<br>linear resistor in series or in parallel with the thermistor and<br>obtain a terminal resistance that varie

$$
\nu_{\rm c} = V_{\rm r}(1 - e^{-t/RC})\tag{9}
$$

The network N provides a temperature-dependent voltage

$$
\nu_{\rm T} = V_r \left( 1 - \frac{k}{A} e^{-B/T} \right) \tag{10}
$$

where *k* depends on the parameter values of certain elements in N. Let *v<sub>c</sub>* reach the level *v<sub>T</sub>* at  $t = t_0$ . From Eqs. (9) and (10), we then obtain

$$
t_{o} = \frac{BRC}{T} - RC \ln \frac{k}{A}
$$
 (11)

At this instant, the comparator output is lowered, triggering the monoshot. The output of the monostable increases; the switch S gets closed and discharges the capacitor. The monostable remains in the high state for its period  $\tau$  at the end of which it returns to low state, initiating another cycle of operation. The period of the relaxation oscillator, namely,  $t_0$  +  $\tau$  will be *BRC*/*T*, if  $\tau$  is adjusted to be equal to *RC* ln (*k*/*A*). We thus get a frequency of oscillation

$$
f = \frac{1}{t_0 + \tau} = \frac{T}{BRC}
$$

which varies linearly with the absolute temperature *T*. The circuit achieves perfect linearization if the two-constant law is strictly valid for the thermistor used. Any nonlinearity in the output is due mainly to the departure of the thermistor



**Figure 9.** Linear *T*-to-*f* converter.

earizing circuits, producing an output in the form of a voltage, analog-to-digital converter (ADC) and compute the temperafrequency, or time interval linearly related to temperature. In ture using the chosen three-constant equation. most of these circuits, linearization is achieved by expressing the output as a function of temperature in Taylor-series form<br>and adjusting the circuit elements, to nullify the second-order<br>CERTAIN PARAMETERS OF IMPORTANCE (1,4) term (16,17,18). The range of temperature over which these **Self-Heating Error** techniques will be useful is generally limited.

The linearization methods discussed in the previous sections<br>are basically hardware techniques, which would exhibit is valid provided the thermistor has been long enough at the<br>larger error as the temperature range is inc closely obeys the *A e<sup>B/T</sup>*-law over a wide range (19). Other **Dissipation Constant** methods use empirical relationships involving three constants, to approximate the actual *R–T* characteristic of the To help the user estimate the error due to self-heating, manu-

 $1/T = A + B \ln R + C (\ln R)^3$ , Steinhart-Hart equation

error of 0.065 K, 0.037 K, and 0.018 K over the temperature **Response Time**<br>range 0 to 100°C. This value would be -0.533 K if the twoconstant law is used. It is true that the three-constant laws Response time of a thermistor is of importance when monitor-<br>fit better than the conventional A  $e^{B/T}$ -law, but they do not ing of rapid changes in temperatur lend themselves to easy hardware linearization. The avail- dynamic behavior of a thermistor is that of a first order sysability of computing power in the form of microprocessors and tem, the response time is specified by the term time-constant. personal computers has made software-based linearization It is the time taken by the thermistor to undergo a resistance possible using these equations. A straightforward method change equal to  $(1 - e^{-1})$  times the total final change in resis-

There are available in the literature a large number of lin- thermistor resistance, convert it to digital form using an

In the applications which involve temperature measurement, **Wide-Range Linearization** we have tacitly assumed that the temperature of the thermis-

thermistor better than the two-constant law. Under this facturers often specify for each thermistor a parameter called category (1,7), we have: the dissipation constant. This constant is defined as the power required to raise the temperature of the thermistor by  $R = A T^{-c} e^{B/T}$ , called the Becker–Green–Pearson (BGP) 1 K above its ambient, and is usually expressed in mW/K. law This parameter depends on the nature of the thermistor envi- $R = A e^{B/(T+\theta)}$ , Bosson's law<br>  $T/T = A + B \ln R + C (\ln R)^3$ . Stainhart, Hart agreeties a commercial tiny bead type thermistor could have a dissipation constant much less than 1 mW/K in still air. Its value For an Omega 44034 thermistor (7), the above three ap-<br>proximations would respectively give rise to a maximum fit as 60 mW/K (3,7).

ing of rapid changes in temperature is required. Since the would be to obtain an analog voltage proportional to the tance that would be caused by a given step temperature change. The time-constant and the response time depend on stant above the Curie point, which results in an increase in the thermal mass, specific heat, and dissipation constant of the activation energy  $(E<sub>a</sub>)$  and an associated increase in the the thermistor. Very small-size bead thermistors having time- resistivity of the material. The steep *R–T* characteristic in the constants less than 0.5 s are commercially available. transition phase of the posistor makes it ideally suited for

Along with their numerous advantages, thermistors have a **BIBLIOGRAPHY** few limitations too. A rather serious one is the problem of interchangeability. Even thermistors fabricated by the same<br>
technique with strict control of the manufacturing process ex-<br>
hibit a spread in their  $R - T$  characteristics. Another shortcom-<br>
ing is lack of stability, sinc operating temperature of the thermistor. A lower limit for its 1995. use is imposed by the largest resistance value beyond which 5. H. B. Sachse, *Semiconducting Temperature Sensors and their Ap*measurement becomes difficult. This lower limit lies around *plications,* New York: Wiley, 1975. 120 K. 6. *NTC and PTC Thermistors—Applications,* Munchen 80, Ger-

The thermistor sensors discussed in the preceding sections<br>are basically ones having a negative temperature coefficient<br>of resistance. Strictly speaking, they should be called NTC<br>thermistors, since there is another class thermistors, since there is another class of thermally sensi-<br>tive resistors which exhibit a large positive temperature coef-<br>ficient over a small temperature range. These devices are  $\frac{1}{1}$  J. Millman and C.C. Halkias ncient over a small temperature range. These devices are  $\frac{11}{11}$ . J. Millman and C. C. Halkias, *Integrated Electronics: Analog and* known as PTC thermistors or posistors. The  $R-T$  characteris-<br>tic of a typical posist

It is seen that, as the temperature is increased, the device ed., New York: McGraw-Hill, 1983.<br>exhibits an NTC characteristic with a gradually decreasing  $\begin{array}{c} 13 \text{ R} \text{ E} \text{ Noltinek (ed)} \text{ International} \end{array}$ resistance-temperature coefficient up to a certain tempera- ford: Butterworth-Heinemann, 1995. ture. A transition now occurs and the resistance, instead of 14. E. Keonjian and J. S. Schaffner, Shaping the characteristics of decreasing, steeply increases with temperature. This phenom- temperature sensitive elements, *IRE Trans. Compon. Parts,* **4**: enon is noticed in devices made of certain ferroelectric materi- 1954. als such as barium titanate doped with strontium or lead. The 15. O. I. Mohamed, T. Takaoka, and K. Watanabe, A simple linear



**Figure 10.** Typical *R–T* characteristic of a PTC thermistor. Madras

applications such as low-cost self-regulating heaters, elec-**Limitations** tronic switches, and overcurrent protectors (6,9).

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- many: Siemens AG, 1987.
- 7. *Temperature Measurement Handbook and Encyclopedia,* Stam- **POSISTORS (5,6,7)** ford, CT: Omega Eng., Inc., 1985.
	-
	-
	-
	-
	- 12. E. O. Doebelin, *Measurement Systems Application and Design*, 3rd
	- 13. B. E. Noltingk (ed), *Instrumentation Reference Book*, 2nd ed., Ox-
	-
- PTC is traceable to the sudden decrease in the dielectric con- temperature-to-frequency converter, *Trans. IEICE,* **E70**: 775– 778, 1987.
	- 16. A. A. Khan and R. Sen Gupta, A linear temperature/voltage converter using thermistor in logarithmic network, *IEEE Trans. Instrum. Meas.,* **IM-33**: 2–4, 1984.
	- 17. D. K. Stankovic, Simple thermistor temperature-to-frequency converter based on an astable multivibrator, *J. Phys. E: Sci. Instrum.,* **6**: 601–602, 1973.
	- 18. S. Natarajan and B. Bhattacharya, Temperature-to-time converters, *IEEE Trans. Instrum. Meas.,* **IM-26**: 77–78, 1977.
	- 19. S. Kaliyugavaradan, P. Sankaran, and V. G. K. Murti, A new compensation scheme for thermistors and its implementation for response linearization over a wide temperature range, *IEEE. Trans. Instrum. Meas.,* **IM-42**: 952–956, 1993.

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